Implementing a Shared Dataspace Language on a Message-Based Multiprocessor

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ABSTRACT

The term shared dataspace refers to the general class of models and languages in which the principal means of communication is a content-addressable data structure called a dataspace. This paper reports on progress we have made toward the development of a prototype implementation of a shared dataspace language, Swarm, on a hypercube multiprocessor. The paper includes an informal overview of the Swarm language, describes the design organization of a transaction processing system which forms the kernel of a Swarm implementation, and explains the algorithms implementing a subset of Swarm embedded in the language C.

1. INTRODUCTION

Concurrent programming languages may be divided into four broad categories depending on the nature of the communication mechanisms they employ. Shared variables as used in Concurrent Pascal\(^2\), for example, allow processes to communicate by reading and writing (directly or indirectly via monitors) the values of a fixed set of variables whose names are known to the communicating processes. Message-based communication requires all information sharing to take place by sending and receiving messages in accordance with some predefined protocol. CSP\(^8\) and Actor languages\(^5\) are representative of this category. Remote operations, such as the remote procedure call used in Ada\(^1\), permit a process to invoke operations associated with some other process. The parameters and returned values represent the information shared by the processes involved in the exchange. The last category we choose to call shared dataspace. It is comprised of languages in which processes have access to a common, content-addressable data structure (typically a set of tuples) whose components may be examined, inserted, and deleted. Associative\(^10\), Linds\(^4\), SDL\(^11\), Transaction Networks\(^9\), Swarm\(^12\), and some artificial intelligence languages such as OPS5\(^9\) belong here.

During the past year our research group has embarked on a systematic study of the shared dataspace paradigm. The main vehicle for this investigation is the language Swarm. The design of Swarm takes a minimalist approach and provides a relatively small number of constructs which are believed to be at the core of a large class of shared dataspace languages and are helpful in the development and analysis of concurrent computations. In Swarm, a variety of computing styles have been brought together under a single unified model. Programming convenience has been achieved by the availability of powerful queries over the dataspace and by the ease with which unstructured and unbounded problems may be approached. The opportunities for temporal and spatial decoupling of computations characteristic of shared dataspace languages have been strengthened and enhanced. On-going work on a proof system for shared dataspace languages and on declarative visualization techniques promise to contribute to increased analyzability of shared dataspace programs.

This paper reports on progress we have made toward the development of a prototype implementation of Swarm on a hypercube multiprocessor. The implementation consists of a Swarm kernel designed to support dataspace transactions on a message-passing architecture and of a small subset of Swarm embedded in the language C, henceforth called Swarm/C. The Swarm kernel has additional capabilities beyond those required for Swarm/C; these additional capabilities will be used to extend the scope of our implementation.

The paper consists of four parts. Section 2 provides an informal overview of the Swarm language. Section 3 describes the Swarm kernel and its implementation on the NCube\(^2\) hypercube multiprocessor. Section 4 defines the current Swarm/C language subset. Section 5 discusses the implementation of the Swarm/C subset using the kernel.

2. THE SWARM LANGUAGE

The purpose of this section is to give an introduction to the shared dataspace concept and some basic familiarity with the Swarm language and its computational model.\(\) In Swarm the state of a computation is represented by the contents of the dataspace, a set of content-addressable entities. The dataspace is partitioned into three subsets: the tuple space, a finite set of data tuples; the transaction space, a finite set of transactions; and the synchrony relation, which is not discussed in this paper. An element of the dataspace is a pairing of a type name with a sequence of values. In addition, a transaction has an associated behavior specification.

The execution of a transaction is modeled as a transition between dataspace. An executing transaction examines the dataspace, then deletes itself from the transaction space and modifies the dataspace by inserting and deleting tuples and by inserting (but not deleting) other transactions. A Swarm program begins executing from a valid initial dataspace and continues until the transaction space is empty. On each execution step a transaction is chosen nondeterministically from the transaction space and executed. The transaction selection is fair in the sense that each transaction in the space will eventually be chosen.

Before explaining the syntax and semantics of programs, we need to introduce a few frequently used basic constructs. A constructor notation is used to form a set of entities and

\(\) The language overview presented in this section is an abridged version of a Swarm language description which appeared first in Roman, G.-C. and Cunningham, H. C., "A Shared Dataspace Model of Concurrency — Language and Programming Implications," Technical Report WUCS-88-33, Department of Computer Science, Washington University, Saint Louis, MO 63130.
apply an operator to the elements of the set. It has the form:

\[ \text{operator variables : domain : operands} \]

The `operator` field is a commutative and associative operator such as $\land$, $\lor$, $\exists$, and $\forall$. The `operands` field is a list of operands (separated by semicolons) compatible with the operator. The `variables` field is a (possibly null) list of bound variables whose scopes are delimited by the brackets. An instance of the constructor corresponds to a set of values for the bound variables such that the `domain` predicate is satisfied. (If the domain is blank, then the constant true is taken for the predicate.) The operator is applied to the set of operands corresponding to all instances of the constructor; if there are no instances, then the result of the constructor is the identity element of the operator.

Swarm predicates are first-order logical expressions constructed in the usual manner. Predicates can examine the dataspace. For example, the predicate is_labeled(17,$\lambda$), where $\lambda$ is a variable, examines the dataspace for an element of type is_labeled having two components, the first being the constant 17 and the second being an arbitrary value. If such an element exists, the predicate succeeds and the value of the second component of the matched element is bound to the variable $\lambda$.

A special form of the constructor, called a generator, is used to form a set of entities, e.g., a set of tuples to be inserted into the tuple space. The operand fields of generators are blank; the domain predicates are not allowed to examine the dataspace.

A Swarm program consists of five sections: a program header, optional constant and macro definitions, tuple type declarations, transaction type declarations, and a dataspace initialization section. The syntax and semantics of these program sections are given below. Figure 1 shows a simple Swarm program to label each pixel in equal-intensity regions of a digital image with the highest coordinate in the region.

Program header. The program header associates a name with the program and optionally defines a set of program parameters. An invocation of the program with specific argument values causes the substitution of the values for the parameter names throughout the program's body. The argument values must satisfy the constraint predicates given in the program header. The program in Figure 1 is named RegionLabel1; it has parameters Rows, Cols, Lo, Hi, and Intensity constrained as indicated. Intensity is an array of input values indexed by the pixel coordinates.

Definitions. The optional Swarm definitions section allows the programmer to introduce named constants and "macros" into a program. For example, the RegionLabel1 program in Figure 1 defines predicates Pixel(P) and P neighbors Q. These predicates allow the other sections to be expressed in a more concise and readable fashion.

Tuple types. The tuple types section declares the types of tuples that can exist in the tuple space. Each tuple type declaration defines a set of tuple instances that can be examined, inserted, and deleted by the program. In Figure 1 tuple type has_label pairs a pixel with a label; has_intensity pairs a pixel with its intensity value.

Transaction types. The transaction types section declares the types of transactions that can exist in the transaction space. Each transaction type declaration defines a set of transaction instances that can be executed, inserted, or examined by a program. The program in Figure 1 declares a

program RegionLabel1 (Rows, Cols, Lo, Hi, Intensity : 
1 \leq\ \text{Rows}, 1 \leq\ \text{Cols}, \text{Lo} \leq\ \text{Hi},
\text{Intensity}(p : \text{Pixel}(p)),
[\forall p : \text{Pixel}(p) : \text{Lo} \leq\ \text{Intensity}(p) \leq\ \text{Hi}] )

definitions
[P, Q, L ; ;]
\text{Pixel}(P) = [\exists x, y : P = (x, y) : 
1 \leq x \leq \text{Cols}, 1 \leq y \leq \text{Rows} ];
P \text{ neighbors} Q = \text{Pixel}(P), \text{Pixel}(Q), P \neq Q,
[\exists x, y, a, b : P = (x, y), Q = (a, b) :
\text{a-1} \leq x \leq \text{a+1}, \text{b-1} \leq y \leq \text{b+1}],
[\exists t : \text{has_intensity}(P, t), \text{has_intensity}(Q, t)];
P \text{ is_labeled} L \equiv \text{has_label}(P, L)
]
tuple types
[P, L, I : \text{Pixel}(P), \text{Pixel}(L), \text{Lo} \leq I \leq \text{Hi} :
\text{has_label}(P, L) ;
\text{has_intensity}(P, I)
]
transaction types
[P : \text{Pixel}(P) : 
\text{Label}(P) =
P \text{ neighbors} L \quad \text{if} \quad P \text{ is_labeled} \lambda_1 \quad \text{if} \quad P \text{ is_labeled} \lambda_2,
P \text{ neighbors} P, \lambda_1 < \lambda_2
\rightarrow \text{P is_labeled} \lambda_2
\rightarrow \text{true} \rightarrow \text{Label}(P)
]
initialization
[P : \text{Pixel}(P) :
\text{has_label}(P, P), \text{has_intensity}(P, \text{Intensity}(P)),
\text{Label}(P)
]
end

Figure 1: Nonterminating Region Labeling in Swarm

transaction type Label(P).

The body of a transaction instance consists of a sequence of subtransactions connected by the || operator:

\[ \text{variable_list}_1 ; \text{query}_1 \rightarrow \text{action}_1 \]
\[ \cdots \]
\[ \text{variable_list}_n ; \text{query}_n \rightarrow \text{action}_n \]

Each subtransaction definition consists of three parts: the variable list, a comma-separated list of variable names, the query, an existential predicate over the dataspace, and the action which defines changes to be made to the dataspace. If the variable list is null, then the colon that separates it from the query may be omitted.

A subtransaction's action specifies sets of tuples to insert and delete and transactions to insert. Syntactically, an action consists of dataspace insertion and deletion operations separated by commas. In the action of a subtransaction, the notation name(values) specifies that a tuple or transaction of the type name is to be inserted into the dataspace; a \dagger appended to a tuple specifies that the tuple is to be deleted if it is present in the dataspace. Generators may be used to
specify groups of insertions or deletions.

As a convenience, tuple deletion may be specified in the query by appending the symbol \( \hat{\tau} \) to a dataspaces predicate. \( \text{name(pattern)} \) indicates that the matching tuple in the tuple space is to be deleted if the entire query succeeds. Any variables appearing in the \( \text{pattern} \) must be defined in the \text{variable list} of the subtransaction (not in a constructor nested inside the query).

A subtransaction is executed in three phases: query evaluation, tuple deletions, and tuple and transaction insertions. Evaluation of the query seeks to find values for the subtransaction variables that make the query predicate true with respect to the dataspaces. If the query evaluation succeeds, then the dataspaces deletions and insertions specified by the subtransaction's action are performed using the values bound by the query. If the query fails, then the action is not executed. The subtransactions of a transaction are executed synchronously: queries are evaluated first, then the indicated tuple deletions are performed, and finally the indicated tuple and transaction insertions are done.

Initialization. By default, both the tuple and transaction spaces are empty. The initialization section establishes the dataspaces contents that exist at the beginning of a computation. The section consists of a sequence of initializers separated by semicolons; each initializer is like a subtransaction's action in syntax and semantics. Since the null computation is not very interesting, at least one transaction must be established at initialization.

3. SWARM KERNEL

The model underlying Swarm has properties that make it attractive for expressing large-scale concurrent computations and for investigating the visualization of concurrent computations. These capabilities, however, come at the expense of increased implementation difficulty imposed by the requirement for atomic execution of complex transactions. Although the problems which arise are not new and there is a large body of literature on implementing such database transactions, the low-level granularity of the dataspaces and the large number of concurrent transactions demand different kinds of solutions and a much greater reliance on highly parallel machines.

Our investigation into realization strategies for Swarm is following two parallel paths: the design of a shared dataspaces machine whose only primitive operation is pattern matching and the development of a multiprocessor-based transaction system implementation. This section provides an overview of the design of the Swarm kernel which supports the transaction system. The first part gives an overview of the kernel design. The second part is a discussion of how this design is realized on the NCUBE, a hypercube-class message-passing multiprocessor developed by the NCUBE Corporation.

3.1. Kernel Overview

We want to be able to implement the kernel on a variety of message-based multiprocessors, including ones which do not support multiprogramming. In such a system, a processor cannot both support user application programs and service dataspaces requests from other programs without greatly rewriting the user program. The transaction system therefore distinguishes between user processes and dataspaces processes. The dataspaces processes are responsible for storing tuples and handling dataspaces requests from user processes. If the system permits, a single processor can run both user and dataspaces processes; otherwise, the processors are partitioned into two groups, one used for user processes and one for dataspaces processes. We use the term \textit{site} to refer to a processor which is running a dataspaces process.

At each site, tuples are stored in a list. A position is assigned to each tuple when it is asserted; all positions are unique and increase by order of assertion time. The tuple position and site together form the tuple identifier, which is thus unique over the entire system.

The kernel acts primarily as a manager of \textit{dialogs}. A dialog is the interaction between a single user process and a single site. A typical dialog consists of either two or three messages. The user program first issues a \textit{request}. At some later time the site performs the request and returns a \textit{reply}. The reply may complete the dialog, or the user process may be required to send a \textit{confirmation}. These actions occur asynchronously, so the user process is free to continue with other processing after issuing a request.

A \textit{dialog-id} is a type of object which identifies a dialog. Any object of type \textit{dialog-id} is unique over the entire transaction system. When a user program issues a request, it receives a \textit{dialog-id}. Dialogs may request operations on the dataspaces, or may request bounds information from the site. The bounds information is simply a pair of integers containing the highest and lowest positions currently assigned to tuples at the site. This capability has been included for implementation of backtracking searches.

The supported dataspaces operations are assert (add a tuple), query (examine a tuple), retract (remove a tuple), and modify (change a tuple). In the case of query, retract, and modify requests a \textit{pattern} may be specified to be matched. The pattern includes constraints on the tuple data and the tuple identifier. When such a request is processed by a site the list of tuples at the site is searched in order until a match is found or there are no more tuples. A request can also specify a particular position at which the search is to start.

Matching requests may be issued in either \textit{immediate} or \textit{pending} operation-mode (several other modes are described below). In immediate mode, the site scans the tuples and replies; if no matching tuple is found, the reply contains a failure indication. In pending mode, the tuples are scanned; if no matching tuple is found, the site retains the dialog request until a matching tuple becomes available. When such a tuple becomes available, the request is performed and the reply is made. A pending request may be \textit{released}. This action converts it to the immediate form, causing it to reply even if no matching tuple is available.

Any request may be \textit{aborted}. If the site has already performed the request and sent a reply, the operation is not undone and the abort fails. If the abort is successful, the site returns a failure reply. Note in either case a reply is made and can be received by the user program. The \textit{delete} operation behaves in the same manner but does not send a reply when the abort succeeds.

Tuples may be \textit{locked} by requests. Each tuple has an associated \textit{mark} which is modified by the request when it locks or unlocks the tuple. Several requests may hold locks on a tuple simultaneously. A request may be made in either \textit{non-lock} or \textit{lock} mode; lock mode specifies how the request modifies the lock. When a non-lock mode request matches a
tiple, the request is immediately performed and the reply is sent; the dialog is then complete. When a lock mode request matches a tuple, the locking is performed and a reply is sent. The user process must complete the dialog by sending a confirmation. A confirmation may be either a cancel or a commit. Both unlock the tuple, but the commit performs the request operation while the cancel does not.

The effect of the tuple lock is to block certain searches. When a request matches a tuple against its pattern, it tests the mark to determine if the tuple is locked. If the tuple is locked, the search is suspended and the tuple mark is modified. When the tuple is unlocked (by a cancel or commit) or altered (by a modify or retract), any requests suspended at the tuple are permitted to continue. The requests resume scanning starting with that tuple; if the tuple was retracted, they proceed to the next.

Requests may be issued in block, non-block, or ignore mode. Block mode causes the request to halt as described above. Non-block mode causes the request to skip the locked tuple; it does not re-examine the tuple if it reaches the end of the tuple list. Both block and non-block modes have parameters describing what the request considers to be a lock; block mode has additional parameters which describe how the tuple mark is modified if the request blocks. Ignore mode causes the request to ignore the tuple locking and proceed with the operation and reply.

The functions provided to user processes by the kernel are summarized in Table 1. The functions may be divided into five broad categories: functions which send requests initiate a dialog and return a dialog-id; functions which test for replies allow examination of the replies which have arrived (a search mechanism to examine all available replies is included); functions to receive replies get the data from the replies; functions to send confirmations are used when the dialog requires a cancel or commit; and functions which change the transaction status send abort, delete, and release requests. Space requirements prevent a complete explanation of these functions; a full discussion may be found in a recently released technical report.

<table>
<thead>
<tr>
<th>Functions to send requests (S-class):</th>
</tr>
</thead>
<tbody>
<tr>
<td>dialog-id Sassert(site, tuple, lock-mode)</td>
</tr>
<tr>
<td>dialog-id Squry(site, position, pattern, operation-mode, lock-mode, block-mode)</td>
</tr>
<tr>
<td>dialog-id Smodify(site, position, pattern, operation-mode, lock-mode, block-mode, modification)</td>
</tr>
<tr>
<td>dialog-id Sretract(site, position, pattern, operation-mode, lock-mode, block-mode)</td>
</tr>
<tr>
<td>dialog-id Sbounds(site)</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Functions to test for replies:</th>
</tr>
</thead>
<tbody>
<tr>
<td>boolean Taval(dialog-id)</td>
</tr>
<tr>
<td>dialog-id Tirstreply(trans-type)</td>
</tr>
<tr>
<td>dialog-id Tnextreply(trans-type)</td>
</tr>
</tbody>
</table>

<table>
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<tr>
<th>Functions to receive replies (R-class):</th>
</tr>
</thead>
<tbody>
<tr>
<td>boolean Rassert(dialog-id, site, position, status)</td>
</tr>
<tr>
<td>boolean Rquery(dialog-id, site, position, tuple, status)</td>
</tr>
<tr>
<td>boolean Rmodify(dialog-id, site, position, tuple, tuple, status)</td>
</tr>
<tr>
<td>boolean Rretract(dialog-id, site, position, tuple, status)</td>
</tr>
<tr>
<td>boolean Rbounds(dialog-id, p, p)</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Functions to send confirmations:</th>
</tr>
</thead>
<tbody>
<tr>
<td>boolean Scancel(dialog-id)</td>
</tr>
<tr>
<td>boolean Scommit(dialog-id)</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Functions to change transaction status:</th>
</tr>
</thead>
<tbody>
<tr>
<td>boolean Sabort(dialog-id)</td>
</tr>
<tr>
<td>boolean Sdelete(dialog-id)</td>
</tr>
<tr>
<td>boolean Srelease(dialog-id)</td>
</tr>
</tbody>
</table>

| Table 1: Swarm Kernel Functions |

3.2. Implementation of Kernel on NCUBE

The kernel is written in C under VERTEX, the NCUBE Corporation's proprietary operating system for the NCUBE node processors. This operating system supports message passing and message routing, but not multiprogramming. The nodes of an allocated NCUBE subcube are therefore partitioned into two sets, one set being available for user processes and one for dataspaces processes. This partitioning is performed by a program running on the NCUBE host processor, which also loads the processes onto the dataspaces nodes. This program is not part of the kernel so will not be discussed further.

The user processes are compiled with a library of functions which provide access to the Swarm kernel. The same library is used in the compilation of the dataspaces process. This library provides many common structures to the two types of processes; for example, each process has a table which maps the logical sites to the physical NCUBE dataspaces-node addresses. The two processes also have common protocols for formatting and transmitting messages using the VERTEX message-passing capabilities.

3.2.1. User package

When processing an S-class (send request) function, the user process first performs any necessary error-checking. It then generates a dialog-id and prepares a message containing an integer encoding the request type, the dialog-id, and the function arguments. The message is sent to the dataspaces node corresponding to the site. The dialog-id and information about the dialog (including the request modes) are stored on the outstanding list. Finally, the dialog-id is returned.

Each user process has an internal counter for each of the dataspaces nodes which it uses to generate the dialog-id. System-wide uniqueness of dialog-ids is guaranteed by concatenating the counter with the address of the user process node and the site to create the dialog-id; the addresses and the counter can be recovered from the dialog-id.

When any of the package functions are called by the user program, the package first reads and queues any transaction-system messages (replies) which have arrived at the node. This transfers the messages from VERTEX operating system buffers into process buffers and reduces the possibility of a process blocking on a message send. The replies are then
processed. Any replies that do not correspond to outstanding
dialogs are discarded (it being assumed that these dialogs
have been aborted or deleted). The remaining replies are
added to the available list and the entry on the outstanding
list is changed to show the reply is available.
The TFindreply and TNextreply functions implement a
list-traversal mechanism on the available list. The TFindall
function simply examines the outstanding list to see if the
reply has arrived.
When an R-class (receive reply) function is performed,
the outstanding list is examined. If the reply is available, the
reply contents are copied into the function arguments and the
reply is removed from the available list. If the request was
issued in non-lock mode, it is removed from the outstanding
list; otherwise the outstanding list entry is modified to
indicate the reply has been received.
When an SCancel or SCommit is issued, the outstanding
list is checked to ensure that the dialog reply has been
received. If it has, the confirmation is sent and outstanding
list entry is removed. Otherwise no action is taken.
When an SAbort is issued, the outstanding list is again
checked. The function returns false if the dialog is not on the
list. If it is on the list, the reply status is checked. If the reply
has not yet arrived, an abort message is sent to the site and the
outstanding list entry is modified to indicate it was aborted. If
the reply has arrived, it and the dialog entry are discarded.
The SDelete function is similar but always removes the
dialog's entry on the outstanding list.
When an SRelease is issued, the outstanding list is
checked. The function returns false if the transaction is not
on the list or is not pending. Otherwise the reply status is
checked, and if the reply has not yet arrived a release message
is sent to the site. Finally, the transaction mode is changed to
immediate.

3.2.2. Dataspace processes
The dataspace process loops, continually reading messages
from user processes and performing the indicated
action, perhaps sending a reply as a result. When it receives a
message the process first reads all messages queued in the
Ncube system and places them in an internal queue.

Any abort, delete, release, cancel or commit messages are
processed first. This is primarily for efficiency, since any of
these may permit removal of dialogs from the site and reduce
storage requirements. An abort or delete may also remove a
message from the queue and save processing time. Request
messages from a particular user process are performed strictly
in increasing order of dialog-id. If a request arrives out of
order, it is held until the intervening requests are obtained and
processed. The process keeps the largest dialog-id (as
determined by the counter portion) that it has received from
each of the user processes.
All requests are stored on a master outstanding list; each
entry contains all the information associated with the
requests. A number of other lists of requests are described
below. These are implemented as lists of pointers to entries
of the outstanding list, so the data for a request only appears
once. These lists have the property that a request appears on
at most one such list. A part of the outstanding list entry
indicates which other list, if any, the request is on.
The tuples are stored in a tuple list. In addition to the
tuple data, each list element contains the position, a mark
used for locking, and a block list of requests. The process
maintains a counter which is used to generate positions.
When an assert is performed, the tuple is appended to the
tuple list with a new position, a zeroed (unlocked) mark, and
an empty block list.
To support pending requests, the process maintains a
pending list of unserviced requests. Any request issued in
pending mode which does not produce results when first
processed is appended to the list. After processing any
action which asserts, alters, or unlocks a tuple, the pending
list is scanned for a request which matches the tuple and
considers the tuple unlocked. If such a request is found, the
request is removed from the list and performed. If the request
had no affect on the tuple, the scanning of the pending list
continues from the selected request. If the tuple is altered
(including locking information) a new tuple results and the
scanning of the pending list starts from the beginning. If the
tuple is retracted, scanning halts.
When a release request is processed, the largest dialog-id
is examined. If the request to be released has not been
processed yet, the release is held until the request is received,
at which time it is changed to immediate mode. If the request
is not on the outstanding list, the release is ignored. If the
request is on the pending list, it is removed from the pending
and outstanding lists and a reply containing a failure
indication is sent. (The pending-list scan algorithm maintains
the invariant 'a transaction is on pending list if and only if no
unlocked matching tuple exists'; a final scan of the tuple list
is therefore not necessary.) Finally, if the request is blocked at
a tuple, its status is changed to immediate and, when it is
unblocked, it is processed as such.
When a request pattern matches a tuple, the results
depend on the blocking-mode in which the transaction was
issued. If the request was issued in ignore mode, or the
request was issued in non-block or block mode and the tuple
is not locked, then the appropriate action is taken (either the
operation is performed or a lock is applied) and a reply is
sent. If the request was issued in non-block mode and the
tuple is locked, the request proceeds to the next tuple. If the
request was issued in block mode and the tuple is locked, the
request becomes blocked. Requests which are blocked at a
tuple are appended to the tuple's block list. When the tuple is
modified the requests on the block list are re-examined and
may continue searching. Processing of the blocked requests
occurs before examination of the pending list.
Tuple locking and request blocking are carried out using
the tuple mark. The mark consists of two elements, a bitfield
B and integer i. The request may examine both elements to
determine if the tuple is locked. The effect of a block or lock is
to set some bits of the appropriate mark's bitfield and
increment the mark's integer by some amount, while undoing
a block or lock clears the same bits of the bitfield and
decrements the integer by the same amount. The test for
blocking examines the mark and blocks if particular bits are
set or if the integer is greater than some value. In this manner
multiple types of locks may be supported.
Issuing a request in either block or non-block mode
requires the specification of a test to determine if the tuple is
locked. This test consists of two values, a bitfield b, and an
integer i. Block mode also requires the specification of an
alteration to be applied to the mark if the request is blocked.
This alteration consists of a bitfield b and integer i.
Issuing a request in lock mode requires the specification of an alteration to be applied to the mark if the request succeeds in locking the tuple. This alteration consists of a bitfield $b_i$ and integer $i_j$.

Let $\&$ be bitwise AND, $\lor$ be bitwise OR, and $\neg$ be logical NOT (of $b$). Then the lock/block actions are:

A request considers a tuple locked if

$$((b \& b_i) \neq 0) \lor (i > i_j)$$

When a request blocks on a tuple, it performs

$$B \leftarrow B \& b_i \quad I \leftarrow I + i_j$$

When a request is unblocked, it performs

$$B \leftarrow B \lor b_i \quad I \leftarrow I - i_j$$

When a request locks on a tuple, it performs

$$B \leftarrow B \& b_i \quad I \leftarrow I + i_j$$

When a request unlocks a tuple, it performs

$$B \leftarrow B \lor b_i \quad I \leftarrow I - i_j$$

When a request applies a lock to a tuple, the request is placed on a confirmation list. When a confirmation message (cancel or commit) is received, this list is searched for the request; if it is not found the confirmation is ignored. If it is found, the request operation is applied to the tuple (for a commit), the tuple is locked, and the request is removed from the confirmation and outstanding lists. The block list for the tuple and the pending list are then processed.

When an abort is received, the largest dialog-id is used to determine if the request has been processed. If it has not, the abort is held until the request is received, at which time the failure reply is made. If the request has been processed, the outstanding list is examined. If the request is found, the failure reply is made; otherwise no action is taken.

4. SWARM/C DEFINITION

Many of the Swarm kernel features described above are designed for later implementation of powerful transaction-processing capabilities. To test the kernel and provide a working transaction system, the kernel is being used to implement a subset of Swarm embedded in the language C, which we call Swarm/C.

Swarm/C provides a limited number of atomic transaction types implemented as function calls in the C language. Most of the complexities of the Swarm kernel are hidden from the user—for example, sites are completely hidden and all necessary site manipulations are performed by the Swarm/C runtime library. In addition, Swarm/C provides some capabilities not used for Swarm; for example, transactions may specify a timeout period and are aborted if they exceed this period. Obviously this is not needed for Swarm, which does not include information about time. In addition, there is a large suite of functions designed to make the creation and manipulation of tuples and patterns easier.

Swarm/C transactions are subject to the following restrictions:

1. Each transaction consists of only one subtransaction—synchronous execution of multiple subtransactions is eliminated.

2. Transactions can refer to only one tuple in the tuple space and may involve only simple comparisons among variables and constants (in the query part). The need for implementing backtracking is thus eliminated and transaction atomicity is easily ensured.

3. The single tuple referenced by the transaction may be examined, inserted, deleted, and modified. A modification involves a deletion followed by the insertion of a tuple of the same type in a single atomic operation.

4. Transactions cannot refer to any way to the transaction space. The transaction space is essentially external to this implementation, because the transactions are issued from processes written in C.

Applying this set of restrictions to the region labeling program shown in Figure 1 leads to the version presented in Figure 2. The transaction type Label(p) had to be separated into two transactions each referring to a single tuple in the tuple space. Although the resulting solution is presented in Swarm, the reader is reminded that in Swarm/C one needs to create C programs which issue the transactions against the tuple space. To highlight this fact we placed a box around any actions which are actually performed in C without any support from the Swarm kernel.

```plaintext
program RegionLabel2 (Rows, Cols, Lo, Hi, Intensity : 1 ≤ Rows, 1 ≤ Cols, Lo ≤ Hi, Intensity(p: Intensity(p)), [∀ p : Intensity(p) : Lo ≤ Intensity(p) ≤ Hi])

definitions
    [ P, Q, L ::
        Pixel(p) ≡ [∃ x,y : P = (x,y) :
            1 ≤ x ≤ Cols, 1 ≤ y ≤ Rows ] ;
        P is_next_to Q ≡ Pixel(P), Pixel(Q), P ≠ Q,
        [∃ x,y,a,b : P=(x,y), Q=(a,b) :
            a-1 ≤ x ≤ a+1, b-1 ≤ y ≤ b+1] ;
        (P,L) is_labeled L = has_intensity_and_label(P,L)
    ]

tuple types
    [ P, L, I :: Pixel(P), Pixel(L), Lo ≤ I ≤ Hi :
        has_intensity_and_label_label(P,L) ]

transaction types
    [ P, Q, L, I :: Pixel(P), Pixel(Q), Pixel(L), Lo ≤ IsHi :
        Check(P,Q) =
        λ : (Q,i) is_labeled λ
        ─→ skip
        ![true] → Label(L;λ, Check(P,Q)) ;
        Label(P, L, I) ≡
        λ : (P,L) is_labeled λ, λ < L
        ─→ (P,L) is_labeled L
    ]

initialization
    [ P, Q : Pixel(P), Pixel(Q), Q is_next_to P :
        has_intensity_and_label(P,Intensity(P),P),
        Check(P,Q) ]

end
```

Figure 2: Nonterminating Region Labeling in Swarm/C
5. IMPLEMENTATION OF SWARM/C

The four Swarm/C functions which user processes may invoke in a C program are assert, query, retract, and modify. An invocation of any of these functions is called a transaction. Assert inserts a tuple in the dataspace, returning its identification; query examines a tuple and returns the contents; retract deletes a tuple, returning the contents; and modify is equivalent to a retract and assert, returning both the previous and new tuple values.

The query, modify, and retract transactions specify a pattern which is used to determine which tuple is affected by the operation. A transaction can either succeed or fail. An assert transaction can only fail if the tuple cannot be added (due to lack of storage); the other types can fail if no appropriate tuple to access or alter can be found.

Each transaction acts on a single tuple, and any transaction may access any tuple. A transaction appears to the user as a single atomic action; that is, each transaction modifies the dataspace without interference from other transactions. In particular, the modify transaction is not identical to a retract followed by an assert because the modify is an atomic action while other transactions can be interleaved between the retract and the assert.

Implementation of Swarm/C on top of the kernel functions involves three major additions: automatic distribution of tuples to sites, a method of representing and controlling the multiple dialogs involved in a Swarm/C transaction, and protocols for the dialogs involved in each of the transactions.

5.1. Tuple Distribution Method

The tuple site is determined automatically when the tuple is asserted. In order to add efficiency when a search of the dataspace is carried out, this assignment is done so the sites where a tuple may be found can be determined from a pattern matching the tuple. To do this, we require two functions; $F_t(tupl e)$ produces the site at which a tuple is to be stored, and $F_p(pattern)$ produces a set of sites where a tuple matching the pattern may be stored. To be able to determine the possible sites from a pattern, we require $F_t(tupl e) \in F_p(pattern)$ for all patterns which match the tuple.

Although this property of $F_t$ and $F_p$ appears difficult to realize, it is actually quite simple to develop appropriate functions. Assume that there are $2^r$ dataspace nodes (adaptations when there are not exactly $2^r$ dataspace nodes are simple). Each node is assigned a base-2 number consisting of $n$ bits. Given a tuple to assert, an $n$-place vector of values is constructed from the tuple's structure and tuple data elements. A hashing function which produces 0 or 1 is then applied to each vector element, producing an $n$-digit binary number which is used as the node address.

A similar method is used for tuple matching. The pattern includes the structure of the tuple and some information about the values in the various fields. The same method as above is used to construct an $n$-digit number in which the structure and specified data element positions are 0 or 1 (as produced by the hashing function) and the unspecified positions are left empty. The set of possible tuple sites is generated by filling in the empty positions in all possible ways with 0 or 1.

The use of this method speeds up the process of searching for a tuple. However, it also requires that at all times $F_t(tupl e)$ be the site where the tuple is stored. This means a tuple can only be modified if the new tuple has the same $F_t$ as the old tuple, since tuples do not move once asserted.

The method used to guarantee this behavior uses the fact that tuples are vectors of data elements. A user program selects a number called the cut. Once a user process has asserted its first tuple, it cannot change the value of the cut. Any data elements whose position in the tuple is at or before the cut can be modified; data elements whose position is after the cut cannot be modified. The functions $F_t$ and $F_p$ use only information about positions after the cut.

5.2. Representation of Swarm/C Transactions

A Swarm/C transaction consists of a number of simultaneous dialogs with different sites. A transaction begins with the invocation of one of the Swarm/C functions and ends when the function returns; at this time all the dialogs have completed. No information needs to be kept from one transaction to the next.

With this information, design of the transaction representation is simple. Each transaction determines the sites with which it must interact, with assert using $F_t$ to find the site where the tuple is to be stored and the others using $F_p$ to find the sites that must be searched. Dialogs with each of these sites are initiated using the kernel functions.

The transaction then monitors the replies using the protocols described below. When the transaction selects a reply to be returned, it sends delete messages for any uncomplicated dialogs and possibly a commit to complete the selected dialog. The transaction then returns. Any subsequent replies that arrive from the sites (due to transmission delays or two messages passing) are discarded by the user package as not belonging to active dialogs.

5.3. Protocols for Swarm/C Transactions

The assert transaction is the simplest, since a tuple is stored at exactly one site. The site for the tuple is selected using $F_t$ and a request to assert the tuple is sent to that site. The assert request specifies no locking. The site either adds the tuple or fails (due to lack of storage) and replies accordingly. The site reply is passed on to the user.

The other transactions each permit pattern-searching. As such, they must interact with multiple sites. In the case of the query, the request is broadcast to all sites where tuples matching the pattern might be stored. The request specifies immediate mode, no locking, and block if some bit is set. Each site eventually responds with a failure or with the contents of a matching tuple. If some site replies affirmatively, the transaction sends deletes to the sites with which it has active dialogs and returns the reply to the user. Otherwise, once all sites respond negatively the transaction returns a failure.

The retract and modify transactions are similar to one another. The request is broadcast to all sites where tuples matching the pattern might be stored. The request specifies immediate mode, lock by setting bit b, and block if some bit is set. Each site eventually responds. If some site responds affirmatively, the transaction sends deletes to all other sites to halt the dialog and unlock any other tuples it holds and sends a commit to the affirmative site to complete the operation and unlock the tuple. Otherwise, once all sites respond negatively the transaction returns a failure.
We now show that with the above scheme all transactions will complete. Clearly the possibility of deadlock exists. For example, transaction $T_1$ locks tuple $\tau_1$ and transaction $T_2$ locks tuple $\tau_2$. If $T_1$ blocks at $\tau_2$ (i.e., waits for the results of a dialog which is blocked at $\tau_2$) and $T_2$ blocks at $\tau_1$, a deadlock condition results.

We use the following scheme to avoid this deadlock. The sites are ordered by their logical numbering. A transaction has only one dialog with a particular site, and hence holds at most one lock on a tuple stored at the site. Once a transaction has a lock on a particular tuple it resources all interest in any sites following that of the tuple and terminates the dialogs with these sites using delete messages. In particular, it releases any locks it has at these sites and does not wait for the results of dialogs with these sites.

With these conventions, deadlock situations cannot develop. Consider the previous example with transaction $T_1$ locking $\tau_1$ and $T_2$ locking $\tau_2$. If $\tau_1$ and $\tau_2$ have the same site, $T_1$ cannot be blocked at $\tau_2$ because it only has one dialog with the site, specifically the one which caused $\tau_1$ to be locked. If $\tau_1$ and $\tau_2$ are at different sites, either (the site of) $\tau_2$ follows $\tau_1$ or $\tau_1$ follows $\tau_2$. In the first case transaction $T_1$ has no interest in $\tau_2$ so cannot be blocked by transaction $T_2$; the other case is symmetric and $T_2$ is not blocked. This property also holds for larger systems of transactions, so we deduce that among the currently active transactions at any time there is always some transaction which is not blocked.

We can also show absence of individual starvation – that is, any particular transaction will eventually complete – given two assumptions. The first is that when a tuple is unlocked, the requests blocked at that tuple are permitted to proceed before any other request can lock the tuple. This guarantees a group of blocked requests will not be continually re-blocked at the same tuple by new requests. The second assumption is that blocked requests are processed strictly in the order in which they became blocked. This guarantees that each request blocked at a particular tuple will eventually progress. Accordingly, every dialog will eventually complete (or be deleted) and hence every transaction will complete.

Since the reaps and modify protocols described above obey the protocol for absence of deadlock, and the Swarm kernel follows the two unlocking rules for absence of individual starvation, we can conclude that every Swarm/C function will eventually complete.

6. CONCLUSIONS

The shared dataspaces paradigm is a novel approach to specifying, visualizing, and reasoning about concurrent computations. Despite its attractive features, the paradigm's full potential will be realized only if we are able to demonstrate that reasonably efficient implementations of shared dataspaces are feasible. Multiple implementations of Linda already exist and a Linda machine is currently being built. Swarm, however, is significantly more complex than Linda. (SWARM/C already exceeds the feature set included in C-Linda.)

The implementation study presented in this paper is designed to probe the extent to which today's multiprocessors are capable of supporting the processing requirements of shared dataspaces languages in general and Swarm in particular. The multi-phased implementation effort is also intended to be a vehicle for making available the shared dataspaces paradigm to developers of multiprocessor-based applications and to researchers interested in program visualization techniques.

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7. REFERENCES